Hindawi Publishing Corporation EURASIP Journal on Embedded Systems Volume 2009, Article ID 474903, 13 pages doi:10.1155/2009/474903

# Research Article

# Reliable Event Detectors for Constrained Resources Wireless Sensor Node Hardware

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Received 8 April 2009; Revised 8 July 2009; Accepted 24 August 2009

Recommended by Thomas Kaiser

A novel event detector algorithm, which points out in-door acoustic human activities, for constrained wireless sensor node hardware is proposed in the present paper. In our approach, event detections are computed from the signal energy statistics change rate at two instants separated by an (L-1) samples interval. The experimentation is run in two phases: (i) the detector characterisation and tuning seek detector configurations that enable event detections from three acoustic human activities: closing a door, dropping a plastic bottle, and clapping; (ii) event detector validation tests measure the reliability to signal events from general acoustic activities, people talking particularly. The test results, which included emulated node hardware, actual sensor node, and a one-hop WSN, demonstrate the detector implementations signaled successfully events. And for the WSN, we found that event detections decay in a nonlinear fashion as the distance d, between the acoustic signal source and the sensor, is increased.

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### 1. Introduction

A large and important number of Wireless Sensor Network (WSN) applications are event-driven. For instance, applications are found in the monitoring of dangerous environments, detection and classification of individuals or objects, location of static or tracking mobile targets, and structural health monitoring systems [1-3]. Unlike data collection applications, in event-driven applications the sensor nodes or motes rarely transmit data and their batteries energy is mainly consumed by intensive signal processing computations. Rather, under the event occurrences the motes transmit event packets upstream to the network data receptacles or sinks. At this point, the application can perform high-level inferences such as to compute the location, speed motion, and orientation of mobile or static targets. Eventually, the application can also make decisions and via the motes switch on/off alarms or actuators.

Due to that WSN event-driven applications work on the base of packet transmissions, the event detector and network failures, false alarm signals, and data packet lost severally deteriorate the sensors network life-time. In fact, for a sensor mote data packet transmissions are energetically the most expensive operations compared against any of the mote microcontroller operation states: CPU computing or energy saving [4]. Therefore, event detectors and event-based routing protocols are crucial WSNs applications services that must reliably and timely *signal* with the lowest possible number of false alarms and *transport* and *deliver* event packets with the highest achievable percentages [5, 6].

In this work a novel events detector algorithm, which points out the detection of acoustic indoor human activities, for constrained wireless sensor hardware is presented. The proposed algorithm computes events on the base of the signal energy statistics *change rate* at two instants separated by (L-1) samples instead the use of a threshold.

Commonly, the event detector *characterisation* and parameters *tuning* processes are performed off-line in a general purpose computer system, to set a proper signal energy threshold value which is employed to compute event

occurrences [1]. Rather, that threshold search is a very complex and time consuming task that hides problems related to the strong constraints that the current wireless sensor hardware features such as the CPU computation speed, memory use availability, sampling rate limits, none hardware floating point support, and energy consumption concerns. Therefore, to show the differences that exist between a general computer system and constrained wireless sensor hardware domains, the experiments are run for two event detector implementations, an Octave program executed in a general purpose computer system by a Matlab kind mathematical environment tool and a TinyOS hardware-oriented that is run on a wireless sensor hardware emulator and an actual sensor mote.

A two-stage experimentation campaign is developed. (i) A characterisation and tuning processes are run to locate the event detector parameters configurations that enable the event detector signals event occurrences from a set of three acoustic human activities signals (SS1), closing a door, dropping a plastic bottle, and clapping. Due to the lack of user friendly interface facilities an actual wireless sensor mote features to debug mote programs, the characterisation, and tuning process results are reported for the Octave program and a TinyOS mote emulated, expecting that the mote emulation behaves closer the actual wireless sensor hardware. (ii) A validation tests process shows the event detector performance to detect effectively event occurrences from signals that belong to the acoustic signal people talking (SS2). In this case, the performance results are presented for the two event detector implementations, Octave and TinyOS, where the event detector execution includes an emulated node and an actual Micaz sensor mote. Finally, the TinyOS event detector is integrated in a one-hop sensor network of Micaz motes, and the detector performance test results are presented as a function of the distance d that exists between the acoustic signal source SS2 and the wireless mote.

The structure of this paper is as follows. In Section 2, the *event* and *event detection* terms are defined, and then the event detection scientific background is reviewed. Event detection theoretical basis, main hypothesis, and practical considerations are presented in Section 3. The characterisation, tuning, and validation test descriptions and implementation details are commented in Section 4. The experimental results, characterisation, tuning, and validation test processes, are presented and discussed in Section 5. Finally, Section 6 summarises and concludes the present research work.

### 2. Background

Throughout the rest of this paper, the *event* and *event detection* terms are employed in a reiterated fashion. Therefore, we provide their definitions that even though they cannot be considered as formal, our definitions are based on specific and qualitative interpretations of the observed input signal energy behaviors. Then, in the next sections, previous works in energy estimation and event detection are introduced and discussed.

Table 1: Number representation and execution times reported for the FFT, Wavelets Daub-4, and Daub-8 implementations on the Mica2 and Tmote Sky motes.

Complex task	Execution time
64-point FFT (Mica2 integer values)	52 ms [11]
512-point FFT (Mica2 floating point values)	30 seconds [9]
512-point FFT (Tmote Sky integer values)	4 seconds [10]
Wavelet Daub-4 (Tmote Sky floating point)	9 seconds [10]
Wavelet Daub-8 (Tmote Sky floating point)	20 seconds [10]

### 2.1. Definitions.

*Definition 2.1.* An event is a significant sudden change in the sensor signal energy.

*Definition 2.2.* Event detection is the capability an electronic system or computing algorithm has to recognise or count events.

It is assumed in Definition 2.1 that over long-time periods, in average the sensor signal energy reading output values experiment minimum changes.

Definition 2.2 refers to the event detector implementation that is developed as a nondeterministic finite state automata (*NFA*) [7].

2.2. Estimators. Event detection strongly relies on the sensor signal energy estimation that is a function of the performance and complexity of specific algorithm implementations. In particular, estimator accuracy demands several hardware platform requirements such as computing power, memory space usage, and battery energy expenditure [8].

Roughly, estimation algorithms can be classified into two big groups: correlation and average based. In this section, related works are introduced.

2.2.1. Correlation-Based Estimators. The Fast Fourier (FFT) and Wavelets transforms are widely studied algorithms that can be used as estimators. Bhatti et al. [9], Skordylis et al. [10], and Xu [11] developed FFT and Wavelets Daub-4 and Daub-8 implementations in two representative sensor motes, the Mica2 [12] and Tmote Sky [13], for data compression and signal analysis. In Table 1, the algorithms performances are shown in terms of execution times, data window lengths, and number representations.

It can be noted that the execution time is mainly function of two factors: the number of operations developed and the number representation, integer, or floating point values. In particular, for an n elements series the FFT algorithm computational complexity is roughly  $O(n^2)$  and in the better of the cases can be optimised to  $O(\log_2 n/n)$  operations. Clearly, both correlation-based algorithms cannot provide timely energy estimations required for instance by location or target tracking WSNs applications.

2.2.2. Averaged-Based Estimators. Statistics sliding window and historic- or cumulative-based algorithms are computationally efficient and lightweight estimators [1, 14–17]. They

can compute online average estimations from a number series with relatively small amount of computing resources. In a window-based approach, the total M elements series  $s_i$  average is approximated averaging subsequences  $s_i \subset s_i$ of N elements, where N is defined as the window size with N < M. The best global average estimation requires large N values. Therefore, application requirements mostly lead the window size selection: the Moving Average is an example of such sort of window-based estimators. In a historic or cumulative algorithm, the average is estimated by a weighted sum between the current series value plus the accumulated or old average estimations. The instantaneous average estimation is controlled by the weights that are adjusted to approach at best the actual total average value. The Exponential Weighted Moving Average or EWMA is an example of such estimators and there exists a large number of variants [17].

2.3. Event Detection. Gu et al. [1] implemented a WSN application for detection and classification of persons, individuals carrying metals, and moving vehicles. Specifically, thresholdbased acceleration and magnetic and acoustic event detectors were implemented. To compute online input signal mean  $m_s$ , signal energy  $e_s$ , energy mean  $m_e$ , energy variance vare, and energy standard deviation stde estimations, the detectors utilise the EWMA filter. More particularly, the acoustic event detector performs intensive point-to-point comparisons between the microphone output signal energy  $e_s$  and an adaptive threshold thr<sub>e</sub>. The thr<sub>e</sub> is computed as the sum of the energy mean  $m_e$  plus the energy standard deviation std<sub>e</sub>. If within a detection time period  $T_D$ ,  $e_s$  crosses several times thr<sub>e</sub>, then an event detection is flagged. In principle, there exists a stable thre value that should stand upon  $e_s$  for long time periods of null acoustic activity. Meanwhile, e<sub>s</sub> should cross the thr<sub>e</sub> for very short time periods when acoustic events are on the course.

Liang and Wang (2005) [14] reported two WSN event detectors that do not use a threshold. The first detector implements two sliding windows that compute the mean signal energy value for two contiguous time periods  $E_a = \sum_{m=0}^{M-1} |z_{n-m}|^2$  and  $E_b = \sum_{m=1}^{M} |z_{n+m}|^2$ , where  $z_i =$  $\{z_1, z_2, \dots, z_m\}$  is the sensor output signal samples. An event is signaled if the energies ratio accomplishes the condition  $m_n = E_a/E_b \neq 1$ . Rather, the detector effectiveness fails when the energy signal presents fast changes; therefore a hybrid fuzzy logic event detector is developed. The hybrid detector is inputted with the crisp or raw signal energy values accumulated  $E_s$  in a fixed time period and the signal energy ratio  $m_n$  values, that the fuzzificator converts in the semantic rules: mean, weak, and strong. The inference engine applies *IF-THEN* rules to compute the consequent that can take the linguistic values: very weak, weak, medium, strong, and very strong. Finally, the defuzzifier computes the crisp outputs that are a fuzzy weighted mean of consequent. Particularly, an event is signaled when  $E_s$  and  $m_n$  produce a very strong fuzzy weighted consequent mean. It can be easily noted that this last detector performance boost can have a very elevated computing cost for the 8-bit wireless mote CPU.

To provide high Quality of Service (QoS) levels and low latency wireless link reconnections for stream sensitive applications such as Voice over IP (VoIP) or online video, Mhatre and Papagannaki (2006) [15] developed, for IEEE 802.11 wireless multichannel Access Points (APs) and mobile devices, three hand-off mechanisms that rely on continuous wireless radio Received Signal Strength Indication (RSSI) signals monitoring. In the first algorithm, a mobile client scans all its wireless channels to search the AP that exhibits the instantaneous strongest RSSI levels; once the AP channel is found, a transition request is triggered and both devices commit for the data stream route change. Instantaneous RSSI readings do not guarantee stable wireless links predictions. Therefore, the second algorithm predicts wireless links on the base of RSSI mean values. From a three-region wireless stream throughput versus RSSI mean values map, bad, intermediate, and excellent, it is found that high QoS levels require network throughputs inside the excellent region; therefore the algorithm searches to maintain the network throughput within that region. The future region is predicted on the base of the change of rate of RSSI mean trends separated by an (L-1) samples length. From the comparison between the RSSI mean trend and the corresponding throughput region the next region can be computed. Whether the trend presents a downward behavior, the devices commit to switch the data stream to the channel with the highest RSSI mean trend. The last algorithm fits a linear regression model from the RSSI readings for each AP and computes a prediction of the future RSSI value region.

# 3. Signal Energy, thr<sub>e</sub>, and Event Detection Algorithm

In our work, the EWMA filter is employed to compute online microphone signal mean  $m_s$ , energy mean  $m_e$ , energy variance  $var_e$ , and energy threshold  $thr_e$  estimations in the same fashion as in [1]. However, our event detector implementation computes rate changes  $cr_{thr}$  on  $thr_e$  as in [15] instead of to perform continuous comparisons between  $e_s$  and  $thr_e$ . In the next section, signal energy  $e_s$  and  $thr_e$  computing theoretical basis are explained, and then the change of rate concept is introduced.

The statistical lightweight algorithm estimators can compute the average value of series with very few computational resources [16, 17]. In this section, the *Exponentially Weighted Moving Average* (EWMA) principles as energy mean and energy variance estimators [1] and then the event detection approach are presented.

3.1. The Exponentially Weighted Moving Average. The EWMA estimator is presented in (1):

$$m_s[k] = \alpha s[k] + (1 - \alpha)m_s[k - 1],$$
 (1)

where s[k] is the current sample of the input signal s, and  $m_s[k]$  is the current s average estimation. The weight  $0 < \alpha < 1$  controls  $m_s$ , where a small  $\alpha$  value gives more importance to past  $m_s$  values and therefore more stable estimations are obtained. On the other hand, large  $\alpha$  values produce  $m_s$ 

estimations that follow the dynamics of the instantaneous input signal s values and hence the EWMA output is more reactive. The EWMA fast convergence can be achieved; if the signal mean value  $m_s$  is known in anticipation, then the EWMA initial condition  $m_s[0]$  is set to  $m_s$ . Rather, if the  $m_s$  value is unknown, then a thumb rule is to set  $m_s[0] = s[0][1, 15, 16]$ .

In Figure 1 top part, the black line draws 20 seconds of a 2 kHz 10-bit resolution people talking signal series s. In the signal s first section there is approximately an 8-second silence period, from 0 to 16000 samples. In the signal s second part there is the people talking period that lasts around 5 seconds, from 16000 to 25000 samples. In the signal s final section there is a silence period that lasts around 7 seconds, from 25000 to 39999 samples. Finally, the clear line shows the signal s EWMA s values. In this case s = 0.001 is set to filter the s noise high frequencies with s =

The signal energy is computed by (2):

$$e_s[k] = |s[k] - m_s[k]|.$$
 (2)

The energy average estimation is obtained from (3):

$$m_e[k] = \beta e_s[k] + (1 - \beta)m_e[k - 1].$$
 (3)

Then, the energy variance estimation is computed from (4):

$$var_{e}[k] = \gamma(e_{s}[k] - m_{e}[k])^{2} + (1 - \gamma)var_{e}[k - 1].$$
 (4)

The energy standard deviation is obtained from (5):

$$\operatorname{std}_{e}[k] = \sqrt{\operatorname{var}_{e}[k]}.$$
 (5)

Finally, an adaptive energy reference or threshold thr<sub>e</sub> is computed from (6) [1]:

$$thr_e[k] = std_e[k] + m_e[k].$$
 (6)

In Figure 1 lower part, the people talking signal energy  $e_s$ , EWMA signal energy  $m_e$ , and energy reference thr<sub>e</sub> are presented in black, green, and yellow, respectively. In this case, four region features can be observed: (1) the signal energy  $e_s$ , energy  $m_e$ , and thr<sub>e</sub> estimations convergence occur inside the 0 to 6000 samples period; (2) the signal energy  $e_s$ ,  $m_e$ , and thr<sub>e</sub> estimations of the silence period are shown inside the 6000 to 16000 samples interval; (3) the 5-second period of the speech signal energy  $e_s$ ,  $m_e$ , and thr<sub>e</sub> estimations runs from 16000 to 25000 samples; (4) finally, the silence signal energy  $e_s$ ,  $m_e$ , and thr<sub>e</sub> estimations are plot for the 25000 to 39999 samples period. In this case, the weights  $\beta = \gamma = 0.02$  used in (3) and (4) are chosen in a manner that  $m_e$  and  $var_e$  present large variations when the instantaneous e<sub>s</sub> changes are significant and therefore the event detector algorithm [1] can observe them easily.

An important observation is that an implementation of the (1), (2), (3), (4), and (5) requires five double word variables. Meanwhile, an enough accurate FFT implementation requires at least one set of N=256 input samples data of one word (16-bits), plus operations RAM memory.

3.2. Event Detection Computation. We experimentally have found that the EWMA coefficients tuning, to set a threshold thr<sub>e</sub> that achieves the features described in [1], is a very complex and time consuming process. Therefore, in a similar manner as in [15], we avoid the threshold thr<sub>e</sub> search and compute events on the threshold change rate values (7):

$$cr_{thr} = \frac{thr_e[k] - thr_e[k - L + 1]}{L}.$$
 (7)

Equation (7) defines a straight line that lies on thr<sub>e</sub> and has slope parameter 1/L with its initial and final points, respectively, located at thr<sub>e</sub>[k - L + 1] and thr<sub>e</sub>[k] separated by a distance of (L - 1) samples.

In this manner under ideal conditions, an event is evaluated on the base of the following logic.

- (1) It is expected that for small signal energy variations, the difference ( $thr_e[k-L+1]-thr_e[k]$ ) is zero.
- (2) For large variations of the signal energy, the cr<sub>thr</sub> value must be different of zero.

Similarly as in the threshold approach, an event is signaled whether inside a  $T_D$  detection period, the condition  $\mathrm{cr}_{\mathrm{thr}} \neq 0$  is achieved at least once. Note that when  $L \to 0$ , the detector performs large number of  $\mathrm{cr}_{\mathrm{thr}}$  computations and behaves like the threshold based event detection algorithms. On the other hand, when  $L \to \infty$ , less frequent  $\mathrm{cr}_{\mathrm{thr}}$  computations are performed.

Unfortunately in real world environments, thr<sub>e</sub> fluctuates in time and  $cr_{thr}$  swings around the zero value. Therefore, a tolerance interval  $I_{tol} = [-tol, +tol]$  ought to be introduced on the  $cr_{thr}$  changes and the occurrence of an event is evaluated by (8):

event 
$$(T_D) = \begin{cases} 1, & \text{if } |\text{cr}_{\text{thr}}| > \text{tol,} \\ 0, & \text{otherwise,} \end{cases}$$
 (8)

where  $T_D = M \cdot L$  seconds and M is the times number at which the detector must compute the occurrence of events.

It can be observed, from (7) and (8), that the detector sensibility can be controlled by the tolerance  $I_{\text{tol}}$  and the cr<sub>thr</sub> slope 1/L parameters.

- (1)  $I_{\rm tol}$  is the maximum swing limit allowed on the crthr change rate that is a function of the threshold thre variations. From here, low energy intensity events will produce slight crthr variations that can be more easily detected by narrow  $I_{\rm tol}$  values. Rather, also some noise background energy values can produce large crthr oscillations that will cross very narrow  $I_{\rm tol}$  values without difficulty and therefore some nuisances can be signaled.
- (2) Within a  $T_D$  period, the maximum number of cr<sub>thr</sub> computations is bounded by the L period. For short L values the detector must more frequently compute cr<sub>thr</sub>. In this manner, events from fast signal energy variations can be more easily detected. On the other hand, the detector must perform less cr<sub>thr</sub> computations for large L values. Rather, some fast signal energy events may not be detected.

Therefore, the  $I_{\text{tol}}$  and L selection is a trade-off based on the application requirements. Once provided event detection theoretical basis and main hypothesis, in the following section specific detector implementation details and experimental performance results are presented.

## 4. Event Detector Implementation, Characterisation, Tuning, and Validation Test Descriptions

Real world event detectors can signal *False Alarms* (*FAs*) or *True Alarms* (*TAs*) events [18, 19].

- (i) FAs are unwanted nuisances produced by sudden noise background changes. On one hand, FAs represent expensive radio transmissions that reduce importantly the mote life-time. On the other hand, FAs introduce system state uncertainty to the WSNs application.
- (ii) *TA*s are events generated, for instance, by environment intrusions or system failures that therefore must be signaled timely as much as possible.

For a WSN application, *TA*s and *FA*s are qualitatively indistinguishable. Therefore, a characterisation and tuning process is run to locate the detector parameters configurations that enable the event detector signals minimum number *FA*s and maximum *TA*s events.

In this section we present the following two phases experimental procedure.

- (1) Characterisation and tuning processes. FA and TA events are plotted for several event detector parameters  $I_{\text{tol}}$  and L ranges. Particularly, a set SS1 of three acoustic human activities is considered. Then, from the individual parameter ranges that produce the minimum FA and maximum TA events number, common  $I_{\text{tol}}$  and L ranges are merged.
- (2) Validation tests process. It is measured the event detector capability to signal events from an acoustic signal set (SS2) that belongs to the people talking activity, for diverse detector parameters pairs  $\{I_{\text{tol}}, L\}$  selected from the common  $I_{\text{tol}}$  and L values.

Note that the acoustic signal signature recognition is out of the characterisation and the validation tests processes scope that just points out the detection of acoustic events.

Two event detector implementations are developed: an Octave (OCT\_IMP) which is a Matlab style program and a TinyOS (TOS\_IMP) [20] which the actual mote hardware executes. As the actual mote lacks of interface facilities to debug the sensor programs behaviors, the TOS\_IMP characterisation and tuning experiment outcomes are drawn from AVRora [21], a motes hardware emulator. The validation tests are run for the OCT\_IMP and TOS\_IMP where the execution on an emulated and actual mote hardware is included.

- 4.1. Experimental Setup Elements. In this section, a description is given of the signals sets, SS1 and SS2, employed in the event detector characterisation, tuning process, and validation tests. Then, the event detector implementation details and the event detector execution environment differences are exposed.
- 4.1.1. The SS1 and SS2 Signal Set Features. The events are computed from actual acoustic sensor signal data: characterisation SS1 =  $\{s_1 = \text{closing a door}, s_2 = \text{dropping a plasticbottle}, s_3 = \text{clapping}\}$ ; see Figures 2, 3, and 4 respectively. Test SS2 =  $\{s = \text{people talking}\}$ ; see Figure 1. SS1 and SS2 are 20-second records of 2 kHz sample data rate acquired from the Micaz microphone, stored in the external FLASH memory and eventually downloaded in a PC. The data is recorded in a laboratory environment with the signal source located at 1 m from the mote, and the microphone gain is set to 0 units.
- 4.1.2. The Event Detector Implementation Description. Figure 5 shows the event detector as a 6-state Nondeterministic Finite State Automata (NFA) and the particular implementation details follow.
  - (1) Start state. The EWMA estimator coefficients (α, β, and γ), initial conditions, and event detector constants (T<sub>D</sub>, L, I<sub>tol</sub>, etc.) are initialized. In particular, Table 2 shows the EWMA and T<sub>D</sub> values that are set as in [1].
  - (2) Get next sample and process state. The current k sensor signal sample s is read and then the ms, es, me, stde, vare, and thre values are computed by (1), (2), (3), (4), (5) and (6). Meanwhile the L period has not elapsed, the next k + 1 signal sample is acquired and processed.
  - (3) Compute  $cr_{thr}$  state. Once an L period has elapsed, the  $cr_{thr}$  is evaluated by (7). If  $|cr_{thr}| > tol$  (8), then a  $cr_{thr}$  changes counter is incremented. Meanwhile the  $T_D$  period is not reached, the machine acquires and processes signal samples for another L period.
  - (4) Compute event state. After a  $T_D = M \cdot L$  period has elapsed, if the cr<sub>thr</sub> changes counter is nonzero, then an event flag is activated.
  - (5) Signal event state. Whether the event flag is active, the event detector signals the occurrence of an event. Particularly, in the TOS\_IMP event detector implementation a data packet is issued.
  - (6) Clear detector counters state. The event detector  $cr_{thr}$  changes counter and other auxiliary counters are set to zero, and then a new  $T_D$  period is started.
- 4.1.3. OCT\_IMP Execution Environment Description. The OCT\_IMP event detector is executed in a Linux desktop PC. In general terms, the event detector reads and processes one after the other sensor samples (see Figure 5). This procedure is continuously repeated until the last sensor

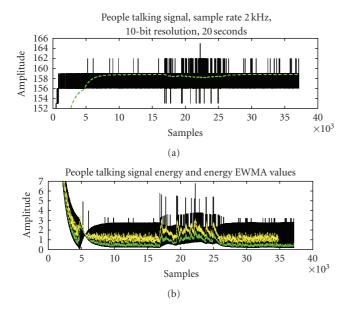


FIGURE 1: (a) In black color the people talking signal series s and (b) in clear color the signal EWMA  $m_s$  values for  $\alpha = 0.001$ .

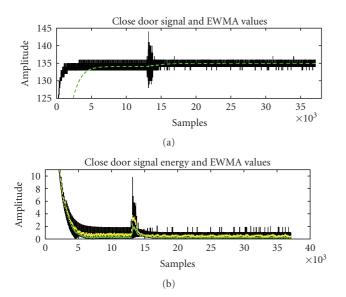
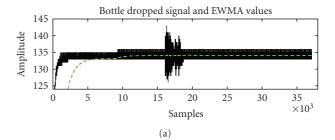


FIGURE 2: (a) In black the *close door* input signal series  $s_1 \in SS1$  and in green the EWMA mean  $m_1$  estimation. (b) In black the  $s_1$  energy, in green the energy EWMA mean  $m_e$ , and in yellow the energy thr<sub>e</sub> values.

data sample is achieved. In particular, the 2 kHz sensor samples are loaded in the PC RAM memory from where the event detector reads the data. In this manner, the algorithm operations are isolated from the acquisition data sample rate, interruption handle, and operations execution latencies issues, for instance. On the other hand, the event detector floating point operations are not limited by the data type precision representation featured by the execution environment and the programming language.



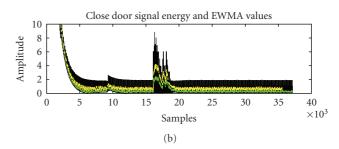


FIGURE 3: (a) In black the *bottle dropped* input signal series  $s_2 \in SS1$  and in green the EWMA mean  $m_2$  estimation. (b) In black the  $s_2$  energy, in green the energy EWMA mean  $m_e$ , and in yellow the energy thr<sub>e</sub> values.

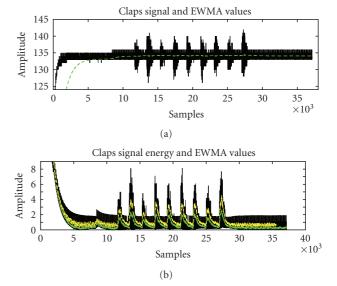


FIGURE 4: (a) In black the *claps* input signal series  $s_3 \in SS1$  and in green the EWMA mean  $m_3$  estimation. (b) In black the  $s_3$  energy, in green the energy EWMA mean  $m_e$ , and in yellow the energy thr<sub>e</sub> values.

4.1.4. TOS\_IMP Execution Environment Description. AVRora [21] is a WSNs simulator with accuracy at mote CPU bit and clock cycle level. In the TOS\_IMP implementation, 1.3 kHz sample data rate acquisitions are assumed. To do this, AVRora reads from a text file the sensor data samples and the time between two consecutive sensor readings. On one hand, every sensor sample is sequentially exposed and hold on the corresponding virtual microcontroller ADC port. On the other hand, the time is translated into virtual

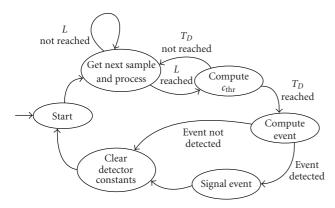


FIGURE 5: Six states acoustic event detector *Nondeterministic Finite State Automata* (NFA). *Start* state: the event detector constants are initialized. *Get next sample and process* state: the current k signal sample s is acquired and  $m_s$ ,  $e_s$ ,  $m_e$ ,  $var_e$ ,  $std_e$ , and  $thr_e$  are computed. *Compute*  $cr_{thr}$  state: the  $|cr_{thr}| > tol$  condition is evaluated. *Compute event* state: the events occurrence is evaluated. *Signal event* state: event occurrences are signaled. *Clear detector counters*: detector counters are cleared.

microcontroller CPU clock cycles that once elapsed then the next sensor data sample is introduced. In a similar fashion, the emulated microcontroller interruptions are driven in terms of the virtual microcontroller CPU cycles. In our case, AVRora reads, introduces, and holds the 2 kHz sensor samples every 3686 virtual microcontroller CPU cycles and the interruptions are generated every 5671 cycles. Even when the Micaz mote can sample data faster, the software floating point computations introduce large overheads that limit the data acquisition to a 1.3 kHz sampling rate; otherwise potential data race-condition conflicts can occur.

### 5. Experimental Results

As stated in Section 3, the event detector sensibility can be controlled by the two detector parameters tol and L. To reduce the event detector characterisation process complexity the event detections, FAs and TAs, are shown in a two-step procedure: (1) the tol parameter is varied maintaining L fixed, and (2) the tol parameter is fixed and the L parameter is varied.

In all the experiments,  $T_D = 1.28$  seconds and in principle the events signaled maximum number is 15 for the 20 seconds signal records duration.

5.1. OCT\_IMP Event Detector Behavior as Function of the tol Parameter. Figure 6 shows events, FAs and TAs, signaled by the OCT\_IMP event detector implementation varying the tol parameter and L=160 milliseconds for the characterisation signals set SS1. On the x-axis, the tol values range from 0.000001 to 0.014, in 0.00005 step unit increments. On the y-axis are drawn the total events, FAs and TAs, signaled within the 20-second signal records duration.

From the event detector execution results, three event regions can be observed: *Region I*, with both events, *FAs* and *TAs*, signaled. *Region II*, with only *TAs* events signaled.

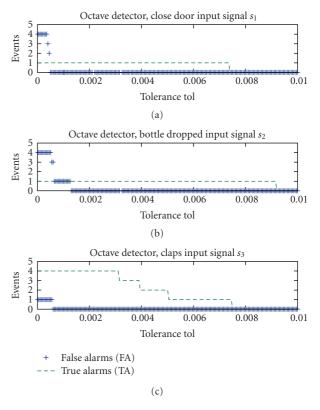


FIGURE 6: OCT\_IMP event detector characterisation as function of tol and L=160 milliseconds. (a) the events signaled for the signal  $s_1 \in SS1$ . (b) the events signaled for the signal  $s_2 \in SS1$ . (c) the events signaled for the signal  $s_3 \in SS1$ .

Table 2: EWMA  $\alpha$ ,  $\beta$ , and  $\gamma$  coefficients and event detector detection period  $T_D$  constant values.

Constant name	Value
α	0.001
β	0.02
γ	0.02
$T_D$	1.28 seconds

Region III, neither FAs nor TAs events are signaled. Table 3 summarizes the event regions and their respective tol intervals for the signals set SS1.

5.1.1. OCT\_IMP Tuning for the tol Value. From the data in Figure 6 and Table 3, it is clear that to signal effectively TA events from the signals sets SS1, an event detector implementation ought to work with tol values within the  $Region\ II$ . Therefore, a common  $I_{tol}$  interval can be merged for the signals set SS1 in the following manner:

$$\{tol\} = (0.00045, 0.00735) \cap (0.00125, 0.00915)$$
$$\cap (0.00055, 0.00745) \tag{9}$$
$$= (0.00125, 0.00735).$$

More particularly, it can be noted that a tol =  $\pm 0.003$  is one value that enables the event detector signals the

	tol intervals		
Characterisation signal SS1	Region	Region	Region
	I	II	III
$\overline{s_1}$	(0.000001, 0.00045)	(0.00045, 0.00735)	(0.00735, 0.01)
$s_2$	(0.000001, 0.00125)	(0.00125, 0.00915)	(0.00915, 0.01)
$s_3$	(0.000001, 0.00055)	(0.00055, 0.00745)	(0.00745, 0.01)

TABLE 3: OCT\_IMP tol interval event regions for the acoustic test signals SS1.

Table 4: OCT\_IMP L interval event regions for the acoustic test signals SS1.

Chamataniastian		L intervals in ms	
Characterisation signal SS1	Region	Region	Region
3181141 301	I	II	III
$\overline{s_1}$	(40, 53.3)	(53.3, 320.0)	(426.7, ∞)
$s_2$	(40, 53.3)	(53.3, 320.0)	$(426.7, \infty)$
<i>s</i> <sub>3</sub>	(40, 106.7)	(106.7, 426.7)	$(640, \infty)$

maximum TA events number for the periodic acoustic signal  $s_3 \in SS1$ .

5.2. OCT\_IMP Event Detector Behavior as Function of the L Parameter. In a similar manner as in the previous section, the OCT\_IMP event detector behavior is presented as function of an L values range and tol =  $\pm 0.003$ . Figure 7 shows the events, FAs and TAs, signaled. On the x-axis, the L values run, from 15 to 700 milliseconds, in two L increments partitions. Inside the x-axis first partition, from 15 to 160 milliseconds, the L increments are steps of  $T_D/8 + 2 \cdot n =$  $1.28/8 + 2 \cdot n$  seconds with  $n = \{0, 2, ..., 18\}$ . It gives  $cr_{thr}$ computations that vary from 44 to 8 times inside a  $T_D$  period. In the x-axis second partition, from 183 to 700 milliseconds, L increments are steps of  $T_D/m = 1.28/m$  seconds with  $m = \{3, 4, 5, 6, 7\}$ . In this case, the cr<sub>thr</sub> computations vary from 7 to 3 times inside a  $T_D$  period. On the y-axis, for every L value the events signaled total number is drawn for the 20 seconds signals set SS1 duration.

The three event regions and the respective L intervals are summarised in Table 4.

5.2.1. OCT\_IMP Tuning for the L Value. From Region II, L = [106.7, 320.0] milliseconds is the common interval computed in a similar fashion as in Section 5.1 for the common  $\{tol\}$  interval. It in principle means that any  $106.7 \le L \le 320.0$  milliseconds value enables the event detector signals events from the acoustic signals set SS1.

5.3. TOS\_IMP Event Detector Behavior as Function of the tol Parameter. Figure 8 shows the events, FAs and TAs, signaled by the TOS\_IMP event detector as function of the tol value for the signals set SS1. On the x-axis, tol ranges from 0.0001 to 0.01285 in 0.00005 step units. On the y-axis, for every tol value the events' signaled total number is drawn for the 20 seconds signal records duration.

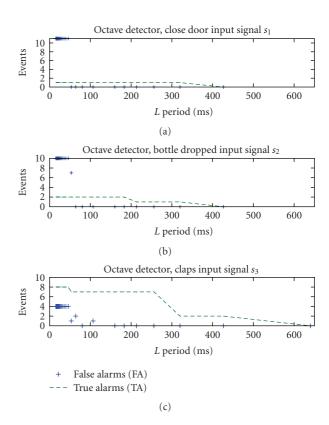


FIGURE 7: OCT\_IMP event detector behavior as function of detector parameters tol =  $\pm 0.003$  and L. (a) the events signaled for the signal  $s_1 \in SS1$ . (b) the events signaled for the signal  $s_2 \in SS1$ . (c) the events signaled for the signal  $s_3 \in SS1$ .

Table 5 shows the three event regions for the respective tol intervals of the characterisation signals set SS1.

5.3.1. TOS\_IMP Tuning for the tol Value. From Region II, it is found that  $\{tol\} = (0.0047, 0.00885)$  is the common interval that allows the detector signals events for the signals set SS1. In particular, tol =  $\pm 0.007$  is one value that allows to signal the most TA events for the signal  $s_3 \in SS1$ .

5.4. TOS\_IMP Event Detector Behavior as Function of the L Parameter. In Figure 9, the TOS\_IMP event detector behavior is presented as function of an L range values and tol =  $\pm 0.007$ . On the x-axis, L ranges from 15 to 300 milliseconds and the increments are distributed in the same fashion as in Section 5.2 is explained. On the y-axis, the events signaled

	tol intervals		
Characterisation signal SS1	Region Region		Region
	I	II	III
$s_1$	(0.0001, 0.0007)	(0.0007, 0.00885)	(0.00885, 0.014)
$s_2$	(0.0001, 0.00465)	(0.00465, 0.01115)	(0.01115, 0.014)
$s_3$	(0.0001, 0.0047)	(0.0047, 0.01275)	(0.01275, 0.014)

TABLE 5: TOS\_IMP tol interval event regions for the acoustic test signals SS1.

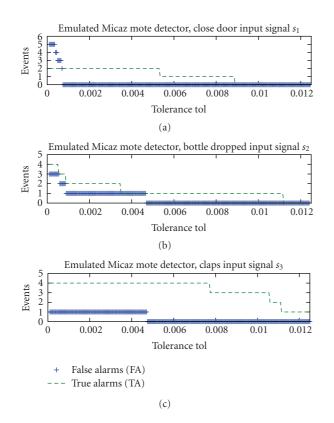
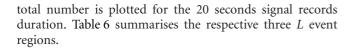
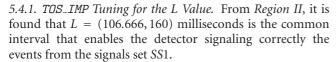


FIGURE 8: TOS\_IMP emulated mote event detector behavior as function of tol and L = 160 millissecond. (a) the events signaled for the signal  $s_1 \in SS1$ . (b) the events signaled for the signal  $s_2 \in SS1$ . (c) the events signaled for the signal  $s_3 \in SS1$ .





As a comparison manner, Table 7 summarises the tol and *L* intervals obtained from the characterisation processes. Particularly, in the *Range size* column, a measurement of the interval lengths is presented, for the OCT\_IMP and TOS\_IMP emulated node event detector implementations, respectively.

It can be observed, on the one hand, that the OCT\_IMP tol interval is 1.4 times wider than the TOS\_IMP tol interval

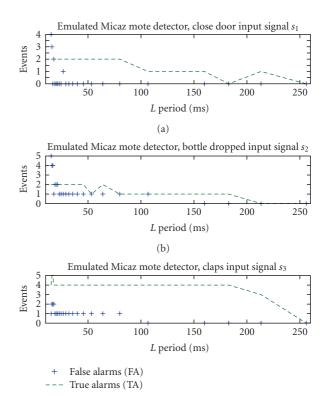


FIGURE 9: Emulated TOS\_IMP event detector behavior as function of detector parameters tol =  $\pm 0.007$  and L. (a) the events signaled for the signal  $s_1 \in SS1$ . (b) the events signaled for the signal  $s_2 \in SS1$ . (c) the events signaled for the signal  $s_3 \in SS1$ .

(c)

and is left shifted by 0.00345 units. On the other hand, the OCT\_IMP L interval is 3.9 times wider and includes completely the TOS\_IMP L values interval.

5.5. Validation Tests. In this section, the event detector capability is measured to signal events from acoustic signals other than the signals set SS1 for several event detector parameter pairs  $pp_i = \{\{\text{tol}\}, L\}$ . Particularly, the event detector, OCT\_IMP and TOS\_IMP, is exposed to the people talking signal SS2 plotted in Figure 1.

5.5.1. Evaluation Assumptions. In our sample tests, events are considered *TAs* if the event detector produces signals inside the time period when the acoustic signal of interest occurs. Otherwise, the events are considered *FAs*. More specifically,

		L intervals in ms	
Characterisation signal SS1	Region	Region Region	
	I	II	III
$\overline{s_1}$	(15.238, 17.77)	(17.77, 160)	(160, ∞)
$s_2$	(15.238, 106.66)	(106.66, 182.857)	(182.857, ∞)
$s_3$	(15.238, 106.666)	(106.666, 213.333)	(213.333, ∞)

TABLE 6: TOS\_IMP L interval event regions for the acoustic test signals SS1.

TABLE 7: Detector tol and L intervals for the OCT\_IMP and TOS\_IMP emulated mote event detector implementations.

Detector implementation	tol	Range	L	Range
Detector implementation		size	(ms)	size
OCT_IMP	(0.00125, 0.00735)	0.0061	[106.7, 320.0]	213.3 ms
TOS_IMP emulated hardware	(0.0047, 0.00885)	0.00415	(106.666, 160.0)	54.666 ms

we expect that the detector only signals TA events inside the *speech* signal period, from 16000 to 25000 samples, with a theoretical maximum of 5 TAs for a  $T_D = 1.28$  seconds period. In this manner, the successful detection percentage is in every case computed with respect the maximum signals number which has assigned the 100%.

5.5.2. Evaluation Special Cases. For the TOS\_IMP implementation case, the event detector is executed on an emulated sensor mote and on an actual Crossbow/Berkeley Micaz mote. Finally, the TOS\_IMP event detector is integrated in a one-hop wireless sensor network of Micaz, and the events are presented as a function of the distance *d* that exists between the acoustic signal SS2 and the Micaz mote.

5.5.3. OCT\_IMP Event Detector Validation Tests. The OCT\_IMP event detector performances are shown in Table 8, for the signal SS2 and the detector parameters pairs:  $pp_1 = \{\text{tol} = \pm 0.003, L = 160 \text{ milliseconds}\}$ ,  $pp_2 = \{\text{tol} = \pm 0.007, L = 160 \text{ milliseconds}\}$ ,  $pp_3 = \{\text{tol} = \pm 0.003, L = 320 \text{ milliseconds}\}$  and  $pp_4 = \{\text{tol} = \pm 0.007, L = 320 \text{ milliseconds}\}$ .

 $pp_1$ : the event detector computes one cr<sub>thr</sub> change for three consecutive  $T_D$  periods inside the *speech* period of the signal set SS2. Therefore, the detector signals three events that are counted as TAs giving a 60% successful detection.

 $pp_2$ : the event detector computes  $cr_{thr} = 0$  changes for the whole signal SS2 period duration. Therefore, neither FA nor TA events are signaled and a 0% successful detection is obtained. This behavior is expected, becouse tol =  $\pm 0.007$  is one among the more restrictive values inside the merged tol set. That is, the tolerance interval is pretty ample that  $cr_{thr}$  can not cross it, even though the signal energy presents periodic fluctuations as in the case of the signal  $s_3 \in SS1$ ; see Figure 6.

 $pp_3$ : the detector computes one cr<sub>thr</sub> change inside the *speech* period of the signal set SS2. Therefore, only

TABLE 8: OCT\_IMP event detector performance for the signal set SS2.

		Detector ev	ent signals
Detector parameters values	FA	TA	Successful detection
${\text{tol} = \pm 0.003, L = 160 \text{ms}}$	0	3	60
${\text{tol} = \pm 0.003, L = 160 \text{ ms}}$	0	0	0
${\text{tol} = \pm 0.003, L = 256 \text{ms}}$	0	1	20
$\{\text{tol} = \pm 0.007, L = 256 \text{ms}\}$	0	0	0

one event is signaled and counted as *TA* giving a 20% successful detection.

 $pp_4$ : the detector computes  $cr_{thr}=0$  changes within all the signal SS2 period duration; therefore neither FA nor TA events are signaled, giving a 0% successful detection. This result is expected, as the detector parameter values tol and L are the most restrictive for any signal from the characterisation set SS1; see Figures 6 and 7.

5.5.4. TOS\_IMP Emulated Sensor Mote Validation Tests. In Table 9, the TOS\_IMP event detector-emulated mote execution performances are presented for the detector parameter pairs:  $pp_1 = \{\text{tol} = \pm 0.003, L = 160 \text{ milliseconds}\}$  and  $pp_2 = \{\text{tol} = \pm 0.007, L = 160 \text{ milliseconds}\}$ .

pp1: inside the *speech* period of the signal set SS2, there are5 events signaled and counted as TAs giving a 100% successful detection.

pp<sub>2</sub>: inside the *speech* period of the signal set SS2, there are3 events signaled and counted as TAs giving a 60% successful detection.

Additionally, Table 10 shows the event detector energy consumptions that AVRora predicts for the emulated Micaz mote. It can be seen that for both parameter pairs,  $pp_1$  and  $pp_2$ , the CPU computations and transmission operations

TABLE 9: TOS\_IMP emulated mote event detector performances for the event detections from the signal set SS2.

		Detector event signals		
Detector parameters values			Successful	
Detector parameters values	FA	TA	detection	
			%	
${tol = \pm 0.0055, L = 160 \mathrm{ms}}$	0	5	100	
${tol = \pm 0.007, L = 160 \mathrm{ms}}$	0	3	60	

Table 10: TOS\_IMP emulated mote event detector energy consumptions for the event detections from the signal set SS2.

	Energy		
Detector parameter values	Consumption (mJoules)		
	CPU	Radio Tx	
${tol = \pm 0.0055, L = 160 \mathrm{ms}}$	438.189	575.78	
${\text{tol} = \pm 0.007, L = 160 \text{ms}}$	438.607	575.686	

Table 11: TOS\_IMP actual Micaz mote event detector performances for the event detections from the signal set SS2.

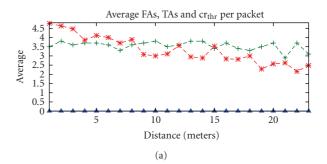
		Detector e	vent signals
Detector parameters values			Successful
Detector parameters values	FA	TA	detection
			%
$\frac{1}{\text{tol} = \pm 0.0055, L = 160 ms}$	0	3.5	70
${tol = \pm 0.007, L = 160 \mathrm{ms}}$	0	3.7	80

energy expenditures do not present significant differences. On one hand, we think that this is because the L period length is equal for both event detector parameter settings. On the other hand, there is not a large difference on the packets number the mote transmits for the whole signal period.

5.5.5. TOS\_IMP Actual Sensor Mote Hardware Validation Tests. Table 11 presents the TOS\_IMP event detector performances for an actual Micaz mote with the detector parameter pairs:  $pp_1 = \{\text{tol} = \pm 0.0055, L = 160 \text{ milliseconds}\}\$  and  $pp_2 = \{\text{tol} = \pm 0.007, L = 160 \text{ milliseconds}\}\$ , where the results are averaged over events detected from ten trial SS2 replays.

From these last results and the presented in Tables 8 and 9, we can observe that the emulated mote event detector behaves closer to the actual Micaz mote detector than to the OCT\_IMP implementation, for the parameters pairs  $pp_1$  and  $pp_2$ .

5.5.6. TOS\_IMP Event Detector Performance for a One-Hope WSN of Micaz. In the present section, the TOS\_IMP event detections are presented for a one-hop WSN of Micaz motes. The network consists of one mote data sink and one sensor mote deployed along a passage at different distances d from the test acoustic source SS2. The experiments are run for the detector parameter pairs:  $pp_1 = \{\text{tol} = \pm 0.0055, L = 160 \text{ milliseconds}\}$  and  $pp_2 = \{\text{tol} = \pm 0.007, L = 160 \text{ milliseconds}\}$ . In both cases, the event detector continuously computes event occurrences, whether



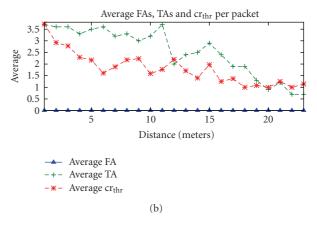


FIGURE 10: Micaz event detector average FAs, TAs signaled events and  $cr_{thr}$  changes per packet as function of the distance for the speech period of the signal set SS2. (a) event detector performance for the parameters {tol =  $\pm 0.0055$ , L = 160 milliseconds}. (b) event detector performance for the parameters {tol =  $\pm 0.007$ , L = 160 milliseconds}.

an event is detected, the sensor mote issues a packet that contains the mote ID, and the  $cr_{thr}$  changes counted into the respective  $T_D$  period. The event detections are averaged from the received event packets and  $cr_{thr}$  changes for ten acoustic signal SS2 replays.

For the detector parameters pair  $pp_1$ , see Figure 10(a). It can be noted that the computed event packets average number is produced only by TAs inside the range of 3 to 4 along the twenty-three meters of distance d. Meanwhile, the reported per packet average  $cr_{thr}$  changes number ranges from 2 to 5. Moreover, within the distance d range 1 to 8 meters, the average  $cr_{thr}$  is larger than the average event packets number and this condition is inverted for distances equal or larger to nine meters.

In the Figure 10(b), the event detector performances are presented for the detector parameters pair  $pp_2$ . Like in the detector parameters pair  $pp_1$  case, the detector events packets are only produced by TAs. Unlike, the case for the detector parameters pair  $pp_1$ , the average event packets and  $cr_{thr}$  changes number is significantly decreased from 4 to 1 along all the twenty-three meters of distance, as the sensor mote, and the acoustic signal source distance d is increased. Moreover, the average event packets number is larger than the average  $cr_{thr}$  changes number along the twenty-two meters of distance d.

Table 12: Acoustic target detection algorithms performances [18].

Detector	Energy cost	Accuracy	False positive rate
Threshold	2.71 mJ	70.5%	25.0%
High pass	13.95 mJ	84.0%	16.0%
FFT	49.12 mJ	100.0%	0.0%

As a final note, Lorincz et al. [18] reported three outdoors acoustic detectors, *threshold*, *high-pass filter* and *FFT* based, to detect marmot calls. The detectors accuracy is measured in terms of True detections (*TAs*) and False positive (*FAs*) rate percentages, and the energy consumptions are computed from data windows of 512 data. The performance results obtained by the detectors are reproduced in Table 12. In particular, the sensor mote is based on the iMote2 platform which features a Marwell PXA271 XScale processor and can run at several frequencies ranges from 13 and 416 Mhz.

Though the environments conditions are different and direct comparisons may not be applied, It can be observed that our event detector does not signal *FAs* for the acoustic signals of interest with respect to the threshold-based detector. Moreover, the change rate event detector performs better than a high-pass-based detector. Finally, it is clear that we can not compare our event detector against the FFT that additionally can identify the target signature.

With respect to the energy consumptions, the mote emulator estimates that our event detector consumes a total CPU energy amount of 438.189 mJ for the whole SS2 duration. If in the 20-second signal period there are 50.781 subperiods of 512 samples, then the energy consumption for one subperiod is 8.6290 mJ. It means that our detector has an energy consumption performance which is between the event detector threshold and high-pass filter based; see Table 12.

### 6. Conclusions and Future Research

An events detection algorithm for constrained wireless sensor hardware has been presented. The events are computed from the change of rate of two signal energy statistics values separated by an (L-1) samples.

Two process results, (a) the event detector characterisation and tuning and (b) validation tests, are reported for two detector implementations, an Octave and a TinyOS. The characterisation and tuning process searches event detector parameter configurations that enable the reliable event detection from three acoustic human activities signals: closing a door, dropping a plastic bottle, and clapping. The validation tests demonstrate the detector capability-to-signal events from other acoustic sources, in our case the events from people talking signals.

The validation test results show that both event detector implementations, Octave and TinyOS which included emulated and an actual Micaz mote, succeed to detect the events from the people talking signal. Moreover, the TinyOS emulated mote approximated closer to the actual Micaz hardware performances. The results also included the event detector integration in a one-hop WSN of Micaz. In this case, we show that the events decay in a nonlinear fashion when

the distance d between the acoustic signal source and the mote is increased.

6.1. Future Research Work. In the current TinyOS event detector implementation, the parameter tol is set to a fixed value. As future work, we plan to develop an adaptable event detector which modifies on the fly tol, according to the WSN application requirements, packet transmission rates, or energy consumptions.

### Acknowledgment

Marco Antonio López Trinidad was supported by the National Council of Science and Technology of México (CONACyT), scholarship fellow no. 70208.

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